

Slide this drill set under Marteena 308's door any time **before** 7:50 AM Friday, January 27, or give it to me in Marteena 312 by 8:00 AM that day. Use *one different* equation from the Block 2 objectives for each problem.

1. A charge of 66.6 pC is uniformly distributed over a flat surface of total area $3.33 \times 10^{-3} \text{ m}^2$. A Gaussian surface encloses 44.4 pC of that charge. First find the flat surface's charge per area. Then use that charge per area to find the area of the flat surface that is inside the Gaussian surface. Hint: Use one equation (from the Block 2 objectives) twice.

ONE EQUATION (USED TWICE)	SOLUTION	ANSWER
		$\frac{\text{_____ pC}}{\text{_____ m}^2}$ charge per area $\frac{\text{_____ m}^2}{\text{_____}}$ area inside

2. Use Gauss's law (non-integral form) to find the net electric flux through the Gaussian surface of Problem 1.

ONE EQUATION USED	SOLUTION	ANSWER

3. A uniform electric field makes an angle of 20.0° with a flat surface. Thus it makes an angle of $90.0^\circ - 20.0^\circ = 70.0^\circ$ with the normal to the surface. The area of the surface is $5.55 \times 10^{-5} \text{ m}^2$. The resulting electric flux through the surface is $57.0 \text{ N}\cdot\text{m}^2/\text{C}$. Calculate the magnitude of the electric field to three significant figures.

ONE EQUATION USED	SOLUTION	ANSWER

4. A total charge of $0.368 \mu\text{C}$ is distributed uniformly throughout an entire region, giving a charge per volume of $92.0 \mu\text{C}/\text{m}^3$. A Gaussian surface encloses $0.222 \mu\text{C}$ of that charge. What is the volume of that entire region?

ONE EQUATION USED	SOLUTION	ANSWER

5. We now consider a spherical Gaussian surface of area $3.34 \times 10^{-4} \text{ m}^2$ that is completely outside (and concentric to) a spherical -8.88 nC charge distribution. Use the **integral form of Gauss's law that contains ϕ** . Fill in the blanks correctly. The last two fractions **must** have the correct symbols and then numbers.

EQUATION USED (must contain ϕ)	SOLUTION	ANSWER
$= \text{_____}$	1. Since E is _____ by _____, we can take it out of the integral giving $E \oint \text{_____} = \text{_____}$. 2. Here, \vec{E} is directed radially _____ and $d\vec{A}$ is directed radially _____, so $\phi = \text{_____}^\circ$ and $\cos \phi = \text{_____}$, giving _____ $\oint dA = \text{_____}$.	$E = \text{_____}$

3. Then $\oint dA = \text{_____}$ (symbol). Solving, $E = \text{_____}$ (symbols) = _____ (numbers) = _____